

Note: All questions are

compulsory.

Question 1 (10 marks)

| (i) | E Ltd. | H Ltd. |
|------------------------|------------|------------|
| Market capitalisation | 1000 lakhs | 1500 lakhs |
| No. of shares | 20 lakhs | 15 lakhs |
| Market Price per share | ₹ 50 | ₹ 100 |
| P/E ratio | 10 | 5 |
| EPS | ₹ 5 | ₹ 20 |
| Profit | ₹ 100 lakh | ₹ 300 lakh |
| Share capital | ₹ 200 lakh | ₹ 150 lakh |
| Reserves and surplus | ₹ 600 lakh | ₹ 330 lakh |
| Total | ₹ 800 lakh | ₹ 480 lakh |
| Book Value per share | ₹ 40 | ₹ 32 |

(3 marks)

(ii) Calculation of Swap Ratio

| | | | |
|--------------|--------------|-----------|------------|
| EPS | 1 : 4 i.e. | 4.0 × 40% | 1.6 |
| Book value | 1 : 0.8 i.e. | 0.8 × 25% | 0.2 |
| Market price | 1 : 2 i.e. | 2.0 × 35% | <u>0.7</u> |
| | | Total | <u>2.5</u> |

Swap ratio is for every one share of H Ltd., to issue 2.5 shares of E Ltd. Hence, total no. of shares to be issued 15 lakh × 2.5 = 37.50 lakh shares (3 marks)

(iii) Promoter's holding = 9.50 lakh shares + (10 × 2.5 = 25 lakh shares) = 34.50 lakh i.e.

Promoter's holding % is (34.50 lakh/57.50 lakh) × 100 = 60%. (1 mark)

(iv) Calculation of EPS after merger (1 mark)

Total No. of shares 20 lakh + 37.50 lakh = 57.50 lakh

$$\text{EPS} = \frac{\text{Total profit}}{\text{No. of shares}} = \frac{100 \text{ lakh} + 300 \text{ lakh}}{57.50 \text{ lakh}} = \frac{400}{57.50} = ₹ 6.956$$

(v) Calculation of Market price and Market capitalization after merger (1 mark)

Expected market price = EPS 6.956 × P/E 10 = ₹ 69.56
Market capitalization = ₹ 69.56 per share × 57.50 lakh shares
= ₹ 3,999.70 lakh or ₹ 4,000 lakh

(vi) Free float of market capitalization = ₹ 69.56 per share × (57.50 lakh × 40%)
(1 mark) = ₹ 1599.88 lakh

Question 2 (6 marks)

(b) Duration of Bond X (1 mark)

| Year | Cash flow | P.V. @ 10% | | Proportion of bond value | Proportion of bond value x time (years) |
|------|-----------|------------|--------|--------------------------|-----------------------------------------|
| 1 | 1070 | .909 | 972.63 | 1.000 | 1.000 |

Duration of the Bond is 1 year

Duration of Bond Y X (2 marks)

| Year | Cash flow | P.V. @ 10% | | Proportion of bond value | Proportion of bond value x time (years) |
|------|-----------|------------|---------------|--------------------------|-----------------------------------------|
| 1 | 80 | .909 | 72.72 | 0.077 | 0.077 |
| 2 | 80 | .826 | 66.08 | 0.071 | 0.142 |
| 3 | 80 | .751 | 60.08 | 0.064 | 0.192 |
| 4 | 1080 | .683 | 737.64 | 0.788 | 3.152 |
| | | | <u>936.52</u> | <u>1.000</u> | <u>3.563</u> |

Duration of the Bond is 3.563 years

Let x_1 be the investment in Bond X and therefore investment in Bond Y shall be $(1 - x_1)$. Since the required duration is 2 year the proportion of investment in each of these two securities shall be computed as follows:

$$2 = x_1 + (1 - x_1) 3.563$$

$$x_1 = 0.61$$

Accordingly, the proportion of investment shall be 61% in Bond X and 39% in Bond Y respectively. Amount of investment

| Bond X | Bond Y |
|---------------------------------------------------|---------------------------------------------------|
| PV of ` 1,00,000 for 2 years @ 10% x 61% | PV of ` 1,00,000 for 2 years @ 10% x 39% |
| = ` 1,00,000 (0.826) x 61% | = ` 1,00,000 (0.826) x 39% |
| = ` 50,386 | = ` 32,214 |
| No. of Bonds to be purchased | No. of Bonds to be purchased |
| = ` 50,386 / 972.73 = 51.79 i.e. approx. 52 bonds | = ` 32,214 / 936.52 = 34.40 i.e. approx. 34 bonds |

Note : The investor has to keep the money invested for two years. Therefore, the investor can invest in both the bonds with the assumption that Bond X will be reinvested for another one year on same returns. (3 marks)

Question 3 (8 marks)

Calculation of Profit after tax (PAT) (1 mark)

| | | |
|--------------------------------------------------|-----------------|-----------------|
| Profit before interest and tax (PBIT) | | 32,00,000 |
| Less: Debenture interest (₹ 64,00,000 × 12/100) | | <u>7,68,000</u> |
| Profit before tax (PBT) | | 24,32,000 |
| Less: Tax @ 35% | | <u>8,51,200</u> |
| Profit after tax (PAT) | | 15,80,800 |
| Less: Preference Dividend | | |
| (₹ 40,00,000 × 8/100) | 3,20,000 | |
| Equity Dividend (₹ 80,00,000 × 8/100) | <u>6,40,000</u> | <u>9,60,000</u> |
| Retained earnings (Undistributed profit) | | <u>6,20,800</u> |

Calculation of Interest and Fixed Dividend Coverage (1 mark)

$$= \frac{\text{PAT} + \text{Debenture interest}}{\text{Debenture interest} + \text{Preference dividend}}$$

$$= \frac{15,80,800 + 7,68,000}{7,68,000 + 3,20,000} = \frac{23,48,800}{10,88,000} = 2.16 \text{ times}$$

(b) Calculation of Capital Gearing Ratio (1 mark)

$$\text{Capital Gearing Ratio} = \frac{\text{Fixed interest bearing funds}}{\text{Equity shareholders' funds}}$$

$$= \frac{\text{Preference Share Capital} + \text{Debentures}}{\text{Equity Share Capital} + \text{Reserves}} = \frac{40,00,000 + 64,00,000}{80,00,000 + 32,00,000}$$

$$= \frac{1,04,00,000}{1,12,00,000} = 0.93$$

(c) Calculation of Yield on Equity Shares: (1 mark)

Yield on equity shares is calculated at 50% of profits distributed and 5% on undistributed profits:

| | |
|---------------------------------------------------|---------------|
| | () |
| | 3,20,00 |
| 50% on distributed profits (₹ 6,40,000 × 50/100) | 0 |
| 5% on undistributed profits (₹ 6,20,800 × 5/100) | <u>31,040</u> |
| Yield on equity shares | <u>0</u> |

$$\text{Yield on equity shares \%} = \frac{\text{Yield on shares}}{\text{Equity share capital}} \times 100$$

$$= \frac{3,51,040}{80,00,000} \times 100 = 4.39\% \text{ or } 4.388\%$$

Calculation of Expected Yield on Equity shares (3 marks)

Note: There is a scope for assumptions regarding the rates (in terms of percentage for every one time of difference between Sun Ltd. and Industry Average) of risk premium involved with respect

to Interest and Fixed Dividend Coverage and Capital Gearing Ratio. The below solution has been worked out by assuming the risk premium as:

- (i) 1% for every one time of difference for Interest and Fixed Dividend Coverage.
- (ii) 2% for every one time of difference for Capital Gearing Ratio.
 - (a) Interest and fixed dividend coverage of Sun Ltd. is 2.16 times but the industry average is 3 times. Therefore, risk premium is added to Sun Ltd. Shares @ 1% for every 1 time of difference.
Risk Premium = $3.00 - 2.16 (1\%) = 0.84 (1\%) = 0.84\%$
 - (b) Capital Gearing ratio of Sun Ltd. is 0.93 but the industry average is 0.75 times. Therefore, risk premium is added to Sun Ltd. shares @ 2% for every 1 time of difference.

$$\begin{aligned} \text{Risk Premium} &= (0.75 - 0.93) (2\%) \\ &= 0.18 (2\%) = 0.36\% \end{aligned}$$

| | |
|----------------------------------------------------------------|--------------|
| | (%) |
| Normal return expected | 9.60 |
| Add: Risk premium for low interest and fixed dividend coverage | 0.84 |
| Add: Risk premium for high interest gearing ratio | <u>0.36</u> |
| | <u>10.80</u> |

Value of Equity Share (1 mark)

$$\frac{\text{Actual yield}}{\text{Expected yield}} \times \text{Paid-up value of share} = \frac{4.39}{10.80} \times 100 = ` 40.65$$

Question 4 (8 marks)

(in lakhs)

| | (4 marks) Quote A | (4 marks) Quote B |
|----------------------------------------------------------|----------------------|----------------------|
| Calculation of Present Value (PV) of cash payments: | | |
| Initial lease rent (PV) | 5.00 | 1.00 |
| Less: PV of tax benefit on initial payment of lease rent | | |
| ` 5.00 lakh x 0.30 x 0.91 | (1.365) | - |
| ` 1.00 lakh x 0.30 x 0.91 | - | (0.273) |
| PV of Annual lease rents | | |
| ` 21.06 lakh x 0.7 x 2.49 | 36.71 | - |
| ` 19.66 lakh x 0.7 x 3.17 | - | 43.63 |
| Total payments in PV | 40.345 | 44.357 |
| Capital Recovery Factor (reciprocal of Annuity Factor) | | |
| 1/2.49 | 0.402 | - |
| 1/3.17 | - | 0.315 |
| Equated Annual Payment or cash outflow (lakhs) | 16.20 | 13.979 |

Conclusion: Since Quote B implies lesser equated annual cash outflow, it is better.

Question 5 (10 marks)

| Particulars | Adjustment Value ` lakhs |
|-----------------------------------------------------------------|-----------------------------|
| Equity Shares | 63.920 |
| Cash in hand (5.000 – 2.240) | 2.760 |
| Bonds and debentures not listed | 2.125 |
| Bonds and debentures listed | 7.500 |
| Dividends accrued | 1.950 |
| Fixed income securities | 9.409 |
| Sub total assets (A) (5 marks) | 87.664 |
| Amount payable on shares | 13.54 |
| Expenditure accrued | 1.76 |
| Sub total liabilities (B) | 15.30 |
| Net Assets Value (A) – (B) (4 marks) | 72.364 |
| No. of units | 2,75,000 |
| Net Assets Value per unit (` 72.364 lakhs / 2,75,000) (1 marks) | ` 26.3142 |

Question 6 (8 marks)

(i) The EPS of the firm is ` 10 (i.e., ` 2,00,000/20,000). The P/E Ratio is given at 12.5 and the cost of capital, k_e , may be taken at the inverse of P/E ratio. Therefore, k_e is 8 (i.e., 1/12.5). The firm is distributing total dividends of ` 1,50,000 among 20,000 shares, giving a dividend per share of ` 7.50. the value of the share as per Walter's model may be found as follows:

$$P_0 = D/k_e + (r/k_e)(E-D) / k_e = 7.50 / 0.08 + (.10/0.08)(10-7.5) / 0.08 = 132.81 \text{ (2 marks)}$$

The firm has a dividend payout of 75% (i.e., ` 1,50,000) out of total earnings of ` 2,00,000. since, the rate of return of the firm, r , is 10% and it is more than the k_e of 8%, therefore, by distributing 75% of earnings, the firm is not following an optimal dividend policy. The optimal dividend policy for the firm would be to pay zero dividend and in such a situation, the market price would be

$$P_0 = D/k_e + (r/k_e)(E-D) / k_e = 0 / 0.08 + (.10 + .08) (10-0) / 0.08 = 156.25$$

So, theoretically the market price of the share can be increased by adopting a zero payout. (2 marks)

(ii) The P/E ratio at which the dividend policy will have no effect on the value of the share is such at which the k_e would be equal to the rate of return, r , of the firm. The k_e would be 10% (=r) at the P/E ratio of 10. Therefore, at the P/E ratio of 10, the dividend policy would have no effect on the value of the share(2 marks)

(iii) If the P/E is 8 instead of 12.5, then the k_e which is the inverse of P/E ratio, would be 12.5 and in such a situation $k_e > r$ and the market price, as per Walter's model would be

$$P_0 = D/k_e + (r/k_e)(E-D) / k_e = 7.50 / 0.125 + (0.10/0.125) (10 - 7.5) / 0.125 = 76 \text{ (2 marks)}$$
